CT475

Machine Learning & Data Mining

Assignment 3

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Discipline: College of Science

Course: 4BS2 Undenominated Science (Computing)

In this assignment, we were asked to design, implement, and evaluate a machine learning algorithm, from scratch. The algorithm was to be chosen at our discretion, ensuring to ignore k-Nearest Neighbours, Naïve Bayes, or trivial algorithms such as ZeroR or 1R. It was possible to also create an algorithm from scratch. We were encouraged to work in pairs, but having an introverted, asocial personality, I decided to forego a partner for this assignment, and try to tackle the assignment alone.

As with the previous assignment, I decided to use Python as my language of choice. My experience with it trumps all other programming languages, and the wide variety of libraries available made much of the extraneous programming tasks (mainly reading the 'owls.csv' file (or any .csv file the user might want to evaluate the algorithm on), and the random seed generation). Python is simple to understand, and quite portable, which allowed me to easily work on my assignment wherever I could get access to the internet. It also means that reading the code for the algorithm I've chosen is much easier than a language like Java, R or MATLAB.

I decided to implement the Classification and Regression Tree algorithm, or CART algorithm. The CART Algorithm can also be called a decision tree algorithm. In its simplest form, the algorithm can be represented with a decision tree. There is an input variable for a node, and a split in the tree based on whether the binary choice is true or false. Below is a simple recreation of the decision tree found in the lecture notes. It is a decision tree for deciding if the weather is good enough to play tennis.

We can see here that if the outlook data is set to 'Overcast', then there is a high chance that tennis will be played, so it has a terminal node early. If the weather is sunny or rainy, further queries must be made from the given dataset, to try and give the result more accuracy.

Because the CART algorithm can be represented as a binary tree, it is a very straightforward process to implement it in any programming language of choice. Something along the lines of C would have been ideal for implementation, as its low-level programming and control over the stack and heap would make popping and pushing nodes in a binary tree representation easy, but my proficiency with C is low.

In my implementation, the most important aspect was trying to find the proper splitting point for the data to create a proper binary tree. The best way I found to implement a choosing method for the data was the Gini Impurity. The Gini Impurity is a measure of how likely a given data point in the set will be incorrectly labelled. A formal definition to find the Gini Impurity is as follows:

$$
I_g(p) = 1 - \sum_{i=1}^{J} p_i^2
$$

Where J is the number of classes in the data. You can see my python implementation of this algorithm in the

splitQuality(groups, classes):

function. It's interesting to note that the above function had the possibility of dividing by 0. This had given me some issue during my implementation of the algorithm. I had to add an if clause in the code to avoid this happening.

I also needed to implement a stopping criterion for the binary tree. There needs to be a 'cut off' point when building a binary tree, otherwise it will continue indefinitely. The simplest way to implement this would be to code in a stopping point. Adding in a maximum depth and minimum size for the tree. It's a simple process to design the algorithm to implement those variables. I decided to allow the user to customise those variables if they wish, by prompting them for input.

Finally, the last important main task in implementing the CART algorithm is making predictions. Up until now, I've managed to read the data from csv files, split the data and evaluate the splits, and create the binary tree to store the data. With the addition of a terminal node implemented in the algorithm, I simply added a recursive function

prediction(node, row):

That runs through the tree, checking if the given node is terminal or not.

With the algorithm coded, I decided to add some rudimentary inputs for the user, so that if they wish to test their own files or change the random seed to try and get a more accurate score, they can do so easily. I designed the algorithm to allow this easily, very little (if any) values are hard programmed.

To test the algorithm, I ran the provided 'owls.csv' dataset. Below you can find the results to the algorithm running. The accuracy score for each fold fluctuates from run to run slightly, but on average, each fold stays above 90%, as seen by the mean accuracy calculation. Only in rare cases does a fold slip below 90%, as I

managed to showcase in my screenshot.

Please enter a file, or leave blank for owls.csv: Please enter your desired seed, or leave blank for 7: Enter the number of folds you wish to create, or leave blank for default (3): Enter the maximum depth of the tree, or leave blank for default (5): Enter the minumum size of the tree, or leave blank for default (10): Accuracy scores for each fold: [97.77777777777777, 88.888888888888889, 95.5555555555555556] Mean Accuracy: 94.07% -- This calculation took 0.31 seconds ---

I wish to test the algorithm on some other datasets, to make sure that it could be used elsewhere, and was not just an algorithm specifically designed to solve the issue assigned. After all, an important aspect in writing code is making sure it can be as robust as possible.

I downloaded a dataset from the machine learning archives of the University of California, Irvine (UCI). I decided on a dataset more text than numbers. I decided on this classification of posts from a blogger¹. You can find the algorithm's results below, but it seemed to handle the task quite well, although the results are not as

I wanted to see how the algorithm would handle a larger dataset, with more data points, thus meaning more data to handle. I decided on this dataset² from dermatologists on various attributes exhibited by their patients. There are 34 separate attributes in this dataset, the size of which was reflected in the speed of the algorithm. Despite taking a considerably longer time, the results of the algorithm are quite accurate, showing an average of 93.89%, which is almost as accurate as the 'owls.csv' dataset this algorithm was

designed for.
Please enter a file, or leave blank for owls.csv: dermatology.csv
Please enter your desired seed, or leave blank for 7:9
Enter the number of folds you wish to create, or leave blank for default (3):8
Enter th

1

¹ http://archive.ics.uci.edu/ml/datasets/BLOGGER

² http://archive.ics.uci.edu/ml/datasets/Dermatology

I also decided to run my algorithm on the 'autoimmune.csv' file I formatted from the previous assignment. The results are interesting, if entirely useless to showcase the algorithm. Even using relatively small values for the inputs, the algorithm takes an enormously long time to attempt a calculation, and the results are not insightful. I felt, however, that the fact the algorithm was so monumentally bad for parsing the 'autoimmune.csv' file was in & of itself amusing, so

I decided to include it here.
Please enter a file, or leave blank for owls.csv: autoimmune.csv
Please enter your desired seed, or leave blank for 7: 12 Enter the number of folds you wish to create, or leave blank for default (3):10 Enter the maximum depth of the tree, or leave blank for default (5) :15 Enter the minumum size of the tree, or leave blank for default $(10):20$ Accuracy scores for each fold: [0.0, 0.0, 0.0, 0.0, 2.7027027027027026, 0.0, 0.0, 0.0, 0.0, 0.0] Mean Accuracy: 0.27% -- This calculation took 2299.54 seconds ---

It can, however, be tied into my conclusion of the algorithm. As I've shown that for relatively small, short datasets, the algorithm does its job very efficiently. Once you try to use much larger datasets, with higher amounts of data points (and thus, decisions the algorithm needs to make), it begins to slow down. This is mainly the case when the number of rows that exist are greater than 10, as is the case with the 'autoimmune.csv' file. It would be wiser to use a different, more efficient algorithm in these cases. Provided that the dataset is kept relatively small, then this algorithm works quite nicely.

Below, you can find a copy of the completed algorithm. I've also decided to host all files found in a github repo. You can find a link to said repo [here.](https://github.com/tmurray19/CT475-Project)

```
1. """
2. CT475 Assignment 3
3. Python implementation of CART algorithm.
4.
5. Name: Taidgh Murray
6. Student ID: 15315901
7. Course: 4BS2
8.
\overline{9}10. Create algorithm (Not Knn or NB)
11. Write own code
12. No use of libraries for ML implementation
13. Must use file input (import csv reader)
14.
15.
16. Distinguish between 'BarnOwl', 'SnowyOwl' & 'LongEaredOwl'
17. Divide into 2/3 training, 1/3 testing
18. Allow for n fold cross validation
19. Allow users rudimentary input if at all possible
20. Comment code for ease of reading, and to explain code decisions
21.
```

```
22. The main elements of CART algorithm:
23.
24. Rules for splitting data at a node based on the value of one variable (Gini Impu
  rity)
25.26. Stopping rules for deciding when a branch is terminal and can be split no more (
  Values defined by user)
27.
28. A prediction for the target variable in each terminal node
29.
30. """ 
31. 
32. # For generating random seed (and other psuedorandom numbers) 
33. import random 
34. # For reading CSV files 
35. import csv 
36. # For printing run time at the end 
37. import time 
38. 
39. 
40. # For loading csv files 
41. def csvLoader(f): 
42. f = open(f, "r")43. l = \text{csv.reader}(f)<br>44. data = list(1)
44. data = list(1)<br>45. return data
        45. return data 
46. 
47. 
48. # Randomly (psuedo-
  randomly) splits 'data' into 'nFolds' amount and creates lists of said splits 
49. def crossValidationSplit(data, nFolds): 
50. dataSplit = list()
51. \# dataCopy variable implemented to avoid messy code<br>52. dataCopy = list(data)
52. dataCopy = list(data)<br>53. foldSize = int(len(data)
53. foldSize = int(len(data)/nFolds)<br>54. for j in range(nFolds):
        for j in range(nFolds):
55. \qquad \qquad \text{fold = list()}<br>56. \qquad \qquad \text{while len(fol)}56. while len(fold)<foldSize:<br>57. index = random.randra
57. index = random.randrange(len(dataCopy))<br>58. fold.append(dataCopy.pop(index))
                 58. fold.append(dataCopy.pop(index)) 
59. dataSplit.append(fold) 
60. return dataSplit 
61. 
62. # Accuracy percentage calculation - predicted value vs actual value 
63. def accuracyCalculation(predicted, actual): 
64. correct = \theta<br>65. for k in rad
        65. for k in range(len(actual)): 
66. if actual[k] == predicted [k]:
67. correct+=1 
68. return ( correct / len(actual) ) * 100 
69. 
70. # Evaluates algortihm using the crossValidationSplit function defined above 
71. def algorithmEvaluation(data, algorithm, nFolds, *args): 
72. folds = crossValidationSplit(data, nFolds) 
73. score = list()74. for f in folds: 
75. trainingSet = list(folds) 
76. trainingSet.remove(f)<br>77. trainingSet = sum(tra
            77. trainingSet = sum(trainingSet, []) 
78. testingSet = list() 
79. for row in f: 
80. rowCopy = list(row) 
81. testingSet.append(rowCopy)
82. rowCopy[-1] = None
83. # Calculates predicition score for given algorithm
84. pred = algorithm(trainingSet, testingSet, *args)
```

```
85. act = [row[-1] for row in f] 
86. accuracy = accuracyCalculation(pred, act) 
87. score.append(accuracy)
88. return score 
89.90. 
91. # Calculate the quality of the data splits - Implementation of Gini Impurity 
92. def splitQuality(groups, classes): 
93. nInstances = sum([len(g) for g in groups]) 
94. splitQuality = 0 
95. for g in groups: 
96. size = len(g)97. # Avoids division by 0
98. if size == 0: 
99. continue 
100. score = 0 
101. for c in classes: 
102. p = [row[-1]for row in g].count(c)/size 
103. score += p*p<br>104. splitOuality +=
            splitQuality += (1-score)* (size/nInstances)105. return splitQuality 
106. 
107.# Splits a dataset based on an attributes 
108.def testingSplit(index, val, data): 
109. left, right = list(), list()110. for r in data: 
111. if r[index] < val: 
112. left.append(r) 
113. else: 
114. right.append(r)
115. return left, right 
116. 
117.# Select the best split for the data, by calculating the splitQuality of the data s
   ets 
118.def getSplit(data): 
119. c = list(set(row[-1] for row in data)) 
120. splitIndex, splitValue, splitScore, splitGroups = 999, 999, 999, None<br>121. for i in range(len(data[01)-1):
121. for i in range(len(data[0])-1):<br>122. for row in data:
122. for row in data: 
                # Calls the testingSplit function on the data
124. groups = testingSplit(i, row[i], data)<br>125 = \# Tests the split data for quality
125. \# Tests the split data for quality<br>126. \text{so} = \text{splitOuality}(\text{groups, c})126 = splitQuality(groups, c)
127. # If the 
128. if sQ < splitScore: 
129. splitIndex, splitValue, splitScore, splitGroups = i, row[i], sQ, gr
   oups 
130. return {'index':splitIndex,'value':splitValue,'groups':splitGroups} 
131. 
132.# Takes the group of rows assigned to a node and returns the most common value in t
  he group, used to make predictions 
133.def addToTerminal(group): 
134. outcome = [row[-1] for row in group] 
135. return max(set(outcome), key = outcome.count) 
136. 
137.# Create child nodes for the decision tree 
138.def childNode(node, maxDepth, minSize, depth): 
139. left, right = node['groups'] 
140. del(node['groups']) 
141. 
142. # If no child nodes exist yet 
143. if not left or not right: 
144. node['left'] = node['right'] = addToTerminal(left + right)
145. return 
146. 
147. # If the tree can't get any any larger, but the depht returns a larger value
```

```
148. if depth >= maxDepth: 
149. node['left'], node['right'] = addToTerminal(left), addToTerminal(right) 
150. return 
151. 
152. # Left child node 
153. if len(left) <= minSize: 
154. # If the left node is smaller than the minimum size, its just added to the
  tree 
155. node['left'] = addToTerminal(left) 
156. else: 
157. # Otherwise it calls the getSplit function on itself 
158. node['left'] = getSplit(left) 
159. # And recursively calls the function on itself, increasing the depth by 1<br>160. childNode(node['left'], maxDepth, minSize, depth+1)
          childNode(node['left'], maxDepth, minSize, depth+1)
161. 
162. # Right child node 
163. if len(right) <= minSize: 
164. node[<sup>'</sup>right'] = addToTerminal(right)<br>165. else:
        165. else: 
166. node['right'] = getSplit(right)
167. childNode(node['right'], maxDepth, minSize, depth+1) 
168. 
169.# Generated initial decision tree 
170.def makeDecisionTree(train, maxDepth, minSize): 
171. # Starts the tree with the best split of the training data 
172. root = getSplit(train) 
173. # Calls childNode function, which will recursively create binary tree from the
  root node 
174. childNode(root, maxDepth, minSize, 1) 
175. return root 
176. 
177.# Make prediciton using decision tree 
178.def prediction(node, row): 
179. # If the index node in the row is smaller than the value node 
180. if row[node['index']] < node['value']: 
181. # if the left node is a Python dictionary
182. if isinstance(node['left'], dict): 
183. # Recursively calls the prediction function using the left node and the
row<br>184.
               return prediction(node<sup>['left'], row)</sup>
185. else: 
186. # Otherwise just returns the left node<br>187. The return node l'left'l
                187. return node['left'] 
188. 
189. else: 
190. if isinstance(node['right'], dict): 
191. return prediction(node['right'], row) 
192. else: 
193. return node['right'] 
194. 
195. 
196.# Calling the CART algorithm 
197.def cart(train, test, maxDepth, minSize): 
198. # Defines a tree using the makeDecisionTree funcion 
199. tree = makeDecisionTree(train, maxDepth, minSize) 
200. # Initialises empty list, called 'predictions' to hold predictions 
201. predictions = list() 
202. # Fills prediction list with predictions for each row of info in the test data
203. for row in test: 
204. p = prediction(tree, row)
205. predictions.append(p) 
206. return predictions 
207. 
208. 
209.
```

```
210.# Allows for some user input, they can chose a different file to be tested, the see
   d, and change the amount of folds, the maximum depth, and the minimum size of the tr
    ee 
211. 
212. 
213. 
214.# Load data 
215.file = (input("Please enter a file, or leave blank for owls.csv: ") or 'owls.csv')
216.data = csvLoader(file) 
217. 
218.# Set Random seed 
219.seed = (input("Please enter your desired seed, or leave blank for 7: ") or 7) 
220.random.seed(seed) 
221. 
222. 
223.# Evaluate algorithm inputs from user 
224.nFolds = (input("Enter the number of folds you wish to create, or leave blank for d
   efault (3):") or 3) 
225.maxDepth = (input("Enter the maximum depth of the tree, or leave blank for default
    (5):") or 5) 
226.minSize = (input("Enter the minumum size of the tree, or leave blank for default (1
   0):") or 10) 
227. 
228.nFolds = int(nFolds) 
229.maxDepth = int(maxDepth)230.minSize = int(minSize) 
231. 
232.# Record Start Time of prgram 
233.startTime = time.time() 
234. 
235.print('\n') 
236.# CART algorithm 
237.scores = algorithmEvaluation(data, cart, nFolds, maxDepth, minSize) 
238. 
239.# Formats results and shows the classification accuracy for each fold 
240.print('Accuracy scores for each fold: {}'.format(scores)) 
241.# Mean accuracy of accuracy score for CART Algorithm 
242.print('Mean Accuracy: %.2f%%' % (sum(scores)/(len(scores)))) 
243. 
244.print("--- This calculation took %.2f seconds ---" % (time.time() - startTime)) 
245.246. 
247.# Users can then read the completed data before closing the program 
248.input()
```